# Using STACK for pre- and supplement-course construction in Physics – a field report

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# Theoretical framework

- Unchanged high drop-out in science and engineering studies at german universities: ~ 40% in physics (Heublein, Richter & Schmelzer, 2020)
  - Great heterogeneity in pre-university education
  - Self-reported reasons by students: content-related requirements (Albrecht & Nordmeier, 2011)

# Special view on physics minors

- Students seem to struggle with the understanding of physical concepts Lectures are compressed in time and already assume existing knowledge in:
  - Mathematics: Integration & Differentiation, Vectors
  - Physics (basic school knowledge)

# **Supplement courses for physics minors**

### Pre course (~8 quizzes)

- **Basic mathematical** knowledge
- Basic knowledge in physics
- to 15 quizzes) • Contents of corresponding lectures and exercises

Accompanying course (up

### Implementation since 2020:



- Digital moodle-course for each lecture
- Self-regulated learning without live and predetermined sessions
- Test segments for each content (about 3-6 STACK-based tasks)

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- Accessible one week before the beginning of the semester
- Accessible one week before content is dealt with in the lecture

### Goals

- Adjust prior-knowledge of students with different university-entrance qualifications 1. (general qualification with (non)-advanced courses in physics/mathematics, vocational education, etc.)
  - Give students the opportunity to repeat/learn physics contents which are teached in school
  - Almost no opportunities are offered for physics in comparison to mathematics
    - Arithmetic  $\checkmark$
    - Conceptual understanding/knowledge
    - Application of formula and physical concepts within realistic situations
- Offer a wide variety of digital self-learning content for different levels of prior-knowledge 2. in mathematics and especially physics
  - Focus on high versatility and wide applicability in:
    - 1. how contents can be used, 2. why contents are used, 3. by whom contents are used
- **Physics for...** Biology Electrical Engineering **Mechanical** Engineering Civil Engineering Chemistry

### **Course-design**

### Overall

### **Task formats:**

- Multiple-Choice
- Calculation & algebraic input:
  - Evaluation and verification of physical units
  - Transposing and simplification of equations
- Derivation of formula
- Graphical tasks & input via graphics: Implemented with JSXGraph

Different learning approaches for each content

- Most tasks contain more than one task format:
  - Results in more complex tasks
  - Not only one aspect of a concept/formula is tested
  - $\rightarrow$  extensive tasks (e.g. text heavy)
- Tasks within one test build up on each other  $\rightarrow$ immediate feedback after each task is provided

# Intended usage

Fully self-regualted: no live or active support and sessions while learning with the courses (E-Mail or forum post possible) Repeatable tasks with randomized numbers for exam preparation and feedback about what has been learned



- 1. Schritt: Die Funktion wird in zwei Faktoren zerlegt:  $f(x) = u(x) \cdot v'(x)$ 2. Schritt: Es gilt die Formel:
- $\int_a^b u(x) \cdot v'(x) \, dx = [u(x) \cdot v(x)]_a^b \int_a^b u'(x) \cdot v(x) \, dx$

*linweis:* Wird die Funktion f(x) geschickt zerlegt kann das Integral  $\int_a^b u'(x) \cdot v(x) \, dx$  einfach bestimmt werden. Ansonsten muss in manchen Fällen Integrationsverfahren mehrfach angewendet werden, bis man auf ein Grundintegral stößt, welches einfach bestimmt werden kann.

### Aufgabe: Wenden Sie das Verfahren der partiellen Integration für das folgende unbestimmte Integral an:

 $\int (x+2) e^x dx$ 

a) Geben Sie dazu zunächst alle benötigten Funktionen für die partielle Integration an (orientieren Sie sich dazu an den Bezeichnungen aus der oben

1. <i>u</i> ( <i>x</i> ) =	
2. $u'(x) =$	
3. v(x) =	
4. $v'(x) =$	

b) Geben Sie nun die vollständige Stammfunktion von  $(x + 2) e^x$  an:  $\int (x+2) e^x dx =$ 

swerte eines Experiments zur Bestimmung der Fallbeschleunigung aufgetragen, das Fallobiekt (Tennisball) zum Zeitpunkt t = 0 los. Die zweite Person misst mit einem Maßband die Fallhöhe des Balls gibt die Zeit mit einer Genauigkeit von 0.01 s an. Die Skala des Maßbande



# **Practical experience**

### Participation

- Course got established since the first implementation
- Pre-Course: around 50% of registered users in a lecture
- $\rightarrow$  ~ 300 users per semester, depending on how many lectures are
- offered Accompanying-Course: around 10% with a descending trend
  - during the semester
- $\rightarrow$  Increased usage for exam preparation

### Usage in practice

How the service is used in practice Majority

- Before first lecture (priorknowledge)
- After last lecture (exam) Minority:
- Postprocessing of the weekly
- lectures and contentes

### **Feedback** from students Wishes for future application **Pros:**

- Direct connection between visualization of complex contents and abstract mathematical formula
- Consequential errors within multi-level tasks are noticed and are correctly included in the assessment
- Some tasks are close to exam tasks

### Cons:

- Too few calculation tasks, especially with view to exam preparation
- User handling seems complex for some students
- Content related hints are missing
- $\rightarrow$  Course contents only show full solution

### Future outlook

- Self assessment of present prior knowledge  $\rightarrow$  Partial response trees  $\rightarrow$  Partial response trees give the opportunity to adress different levels of prior-knowledge and misconceptions
- (inter)active supplementation of lectures
- Creation of real experimental situations

### **Contact:**

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Course design related:

- More instructions for tasks
  - Hints
  - More detailed introduction (f.e. mathematical input)
- Overall more tasks for existing contents **Project related:**
- Cooperation with other universities
- Provision of a high variety, quality assured database



Hessisches Ministerium für Wissenschaft und Kunst

### Heublein, Ulrich; Richter, Johanna; Schmelzer, Robert (2020): DZHW-Brief 03 | 2020 - Die Entwicklung der Studienabbruchquoten an den deutschen Hochschulen. In: DZWH Brief (03). Albrecht; André; Nordmeier; Volkhard: Ursachen des Studienabbruchs in Physik. Eine explorative Studie.

Netzwerk digitale Hochschullehre Hessen